Problem 1. The number 2021 is fantabulous. For any positive integer $m$, if any element of the set $\{m, 2 m+1,3 m\}$ is fantabulous, then all the elements are fantabulous. Does it follow that the number $2021^{2021}$ is fantabulous?

Problem 2. Find all functions $f: \mathbb{Q} \rightarrow \mathbb{Q}$ such that the equation

$$
f(x f(x)+y)=f(y)+x^{2}
$$

holds for all rational numbers $x$ and $y$.
Here, $\mathbb{Q}$ denotes the set of rational numbers.
Problem 3. Let $A B C$ be a triangle with an obtuse angle at $A$. Let $E$ and $F$ be the intersections of the external bisector of angle $A$ with the altitudes of $A B C$ through $B$ and $C$ respectively. Let $M$ and $N$ be the points on the segments $E C$ and $F B$ respectively such that $\angle E M A=\angle B C A$ and $\angle A N F=\angle A B C$. Prove that the points $E, F, N, M$ lie on a circle.

To make this a fair and enjoyable contest for everyone, please do not mention or refer to the problems on the internet or on social media until Tuesday 13 April, 12:00 UTC (05:00 Pacific Daylight Time, 13:00 British Summer Time, 22:00 Australian Eastern Standard Time).

